

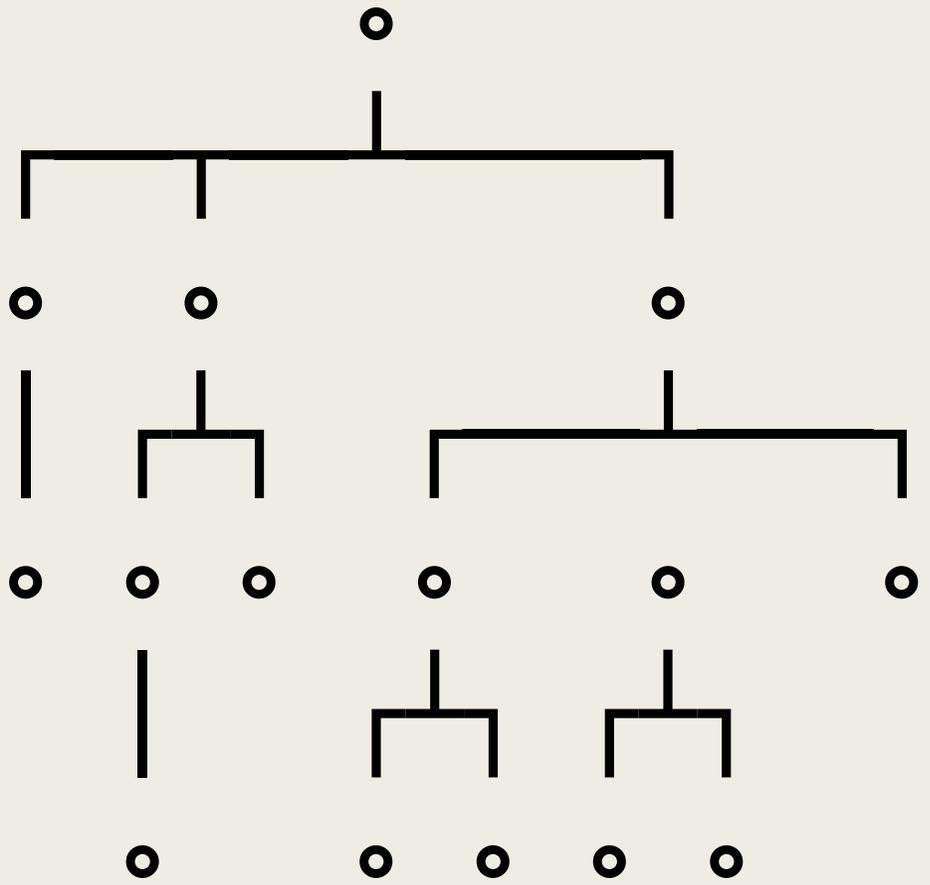


TREE WRANGLING THE APL WAY

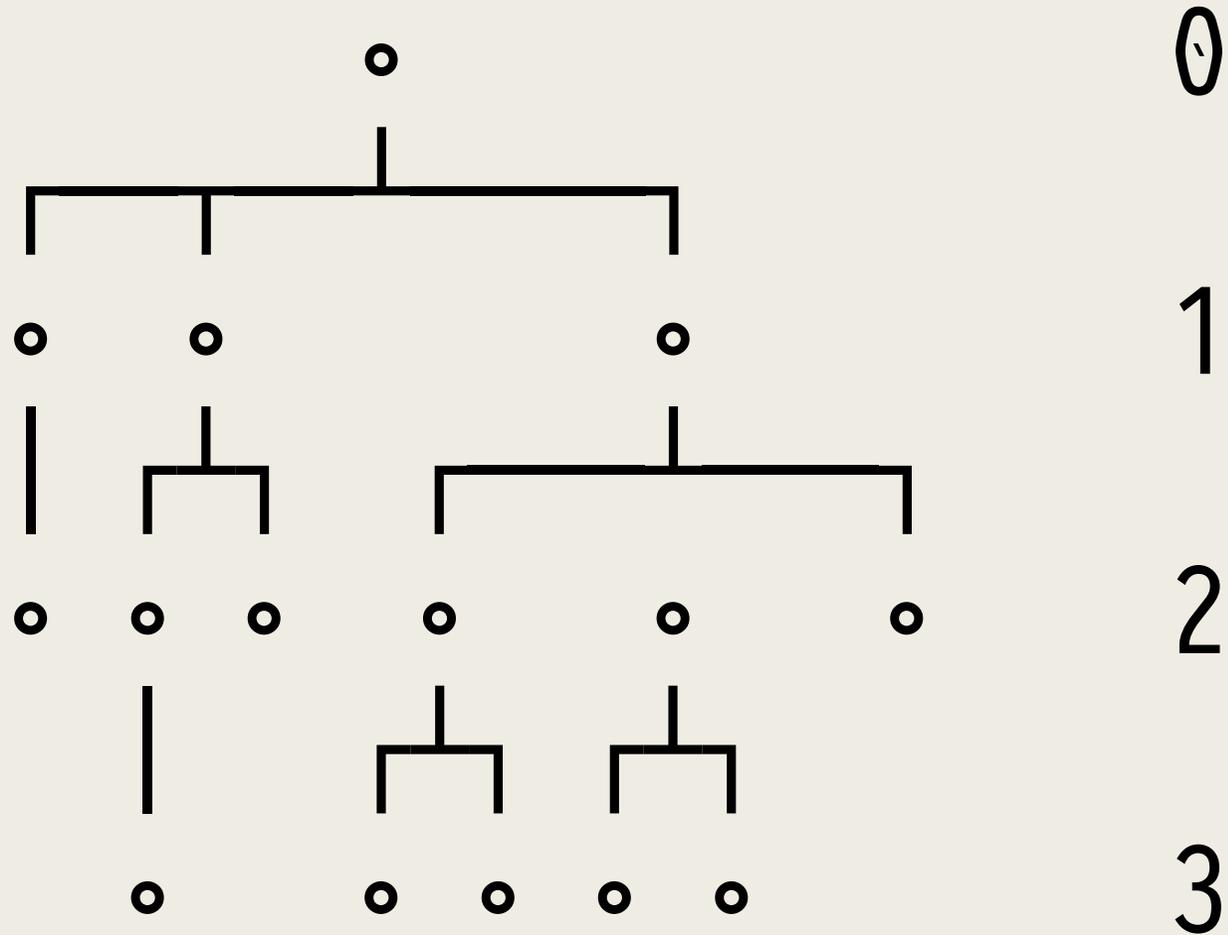
Aaron W. Hsu, Indiana University
Dyalog '18, Belfast



□ I O ← O



Depth:



**I DON'T USUALLY USE ONE
SLIDE,**



BUT WHEN I DO...

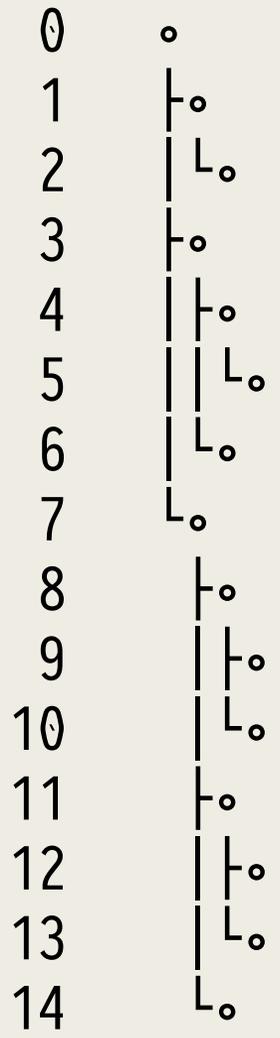
o

|o

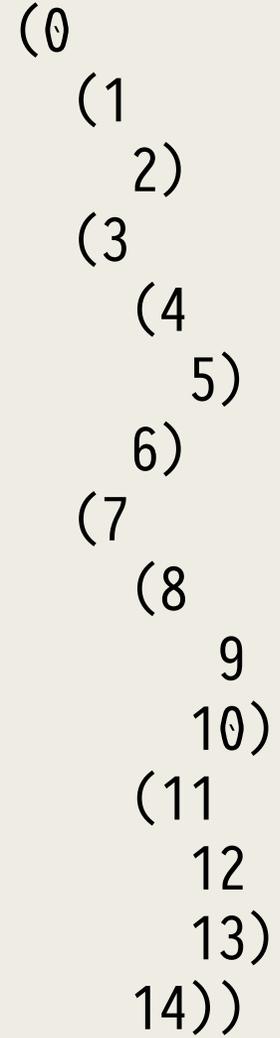
DFPT

0	o
1	o
2	L.o
3	o
4	o
5	L.o
6	L.o
7	L.o
8	o
9	o
10	L.o
11	o
12	o
13	L.o
14	L.o

DFPT



ADT



DFPT		Depth	ADT
0	o	0	(0
1	o	1	(1
2	L.o	2	2)
3	o	1	(3
4	o	2	(4
5	L.o	3	5)
6	L.o	2	6)
7	L.o	1	(7
8	o	2	(8
9	o	3	9
10	L.o	3	10)
11	o	2	(11
12	o	3	12
13	L.o	3	13)
14	L.o	2	14))

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	
2	L.o	2	2)	
3	o	1	(3	
4	o	2	(4	
5	L.o	3	5)	
6	L.o	2	6)	
7	L.o	1	(7	
8	o	2	(8	
9	o	3	9	
10	L.o	3	10)	
11	o	2	(11	
12	o	3	12	
13	L.o	3	13)	
14	L.o	2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt ⍵ 15
2	L.	2	2)	
3	o	1	(3	
4	o	2	(4	
5	L.	3	5)	
6	L.	2	6)	
7	L.	1	(7	
8	o	2	(8	
9	o	3	9	
10	L.	3	10)	
11	o	2	(11	
12	o	3	12	
13	L.	3	13)	
14	L.	2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt ⍵ 15
2	L.o	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	
5	L.o	3	5)	
6	L.o	2	6)	
7	L.o	1	(7	
8	o	2	(8	
9	o	3	9	
10	L.o	3	10)	
11	o	2	(11	
12	o	3	12	
13	L.o	3	13)	
14	L.o	2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt ⍵ 15
2	L.o	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	L.o	3	5)	0
6	L.o	2	6)	1 3 7
7	L.o	1	(7	2 4 6 8 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	L.o	3	10)	
11	o	2	(11	
12	o	3	12	
13	L.o	3	13)	
14	L.o	2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt ⍵ 15
2	L.o	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	L.o	3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	L.o	2	6)	1 3 7
7	L.o	1	(7	2 4 6 8 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	L.o	3	10)	
11	o	2	(11	
12	o	3	12	
13	L.o	3	13)	
14	L.o	2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt n 15
2	L.o	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	L.o	3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	L.o	2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	L.o	1	(7	2 4 6 8 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	L.o	3	10)	
11	o	2	(11	
12	o	3	12	
13	L.o	3	13)	
14	L.o	2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt n 15
2	Lo	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	Lo	3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	Lo	2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	Lo	1	(7	2 4 4 6 8 8 8 11 11 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	Lo	3	10)	
11	o	2	(11	
12	o	3	12	
13	Lo	3	13)	
14	Lo	2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt n 15
2	L.o	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	L.o	3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	L.o	2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	L.o	1	(7	2 4 4 6 8 8 8 11 11 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	L.o	3	10)	PARENT/SIBLING
11	o	2	(11	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
12	o	3	12	p←
13	L.o	3	13)	l←
14	L.o	2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt n 15
2	L.o	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	L.o	3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	L.o	2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	L.o	1	(7	2 4 4 6 8 8 8 11 11 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	L.o	3	10)	PARENT/SIBLING
11	o	2	(11	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
12	o	3	12	p←0
13	L.o	3	13)	l←0
14	L.o	2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt n 15
2	Lo	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	Lo	3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	Lo	2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	Lo	1	(7	2 4 4 6 8 8 8 11 11 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	Lo	3	10)	PARENT/SIBLING
11	o	2	(11	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
12	o	3	12	p←0 0
13	Lo	3	13)	l←0 1
14	Lo	2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt n 15
2	L.o	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	L.o	3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	L.o	2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	L.o	1	(7	2 4 4 6 8 8 8 11 11 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	L.o	3	10)	PARENT/SIBLING
11	o	2	(11	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
12	o	3	12	p←0 0 1
13	L.o	3	13)	l←0 1 2
14	L.o	2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt n 15
2	Lo	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	Lo	3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	Lo	2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	Lo	1	(7	2 4 4 6 8 8 8 11 11 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	Lo	3	10)	PARENT/SIBLING
11	o	2	(11	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
12	o	3	12	p←0 0 1 0
13	Lo	3	13)	l←0 1 2 1
14	Lo	2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt n 15
2	L.o	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	L.o	3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	L.o	2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	L.o	1	(7	2 4 4 6 8 8 8 11 11 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	L.o	3	10)	PARENT/SIBLING
11	o	2	(11	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
12	o	3	12	p←0 0 1 0 3
13	L.o	3	13)	l←0 1 2 1 4
14	L.o	2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt n 15
2	L.o	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	L.o	3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	L.o	2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	L.o	1	(7	2 4 4 6 8 8 8 11 11 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	L.o	3	10)	PARENT/SIBLING
11	o	2	(11	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
12	o	3	12	p←0 0 1 0 3 4
13	L.o	3	13)	l←0 1 2 1 4 5
14	L.o	2	14))	

DFPT	Depth	ADT	APL (c.f. XML/JSON)
0	o	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	(1	ids←εadt n 15
2	L.o	2) (2	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	(3	
4	o	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	L.o	5) (5	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	L.o	6) (6	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	L.o	(7	2 4 4 6 8 8 8 11 11 11 14
8	o	(8	5 9 10 12 13
9	o	9	
10	L.o	10) (10	PARENT/SIBLING
11	o	(11	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
12	o	12	p←0 0 1 0 3 4 3
13	L.o	13) (13	l←0 1 2 1 4 5 4
14	L.o	14)) (14	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt n 15
2	Lo	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	Lo	3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	Lo	2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	Lo	1	(7	2 4 4 6 8 8 8 11 11 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	Lo	3	10)	PARENT/SIBLING
11	o	2	(11	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
12	o	3	12	p←0 0 1 0 3 4 3 0
13	Lo	3	13)	l←0 1 2 1 4 5 4 3
14	Lo	2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt n 15
2	L.o	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	L.o	3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	L.o	2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	L.o	1	(7	2 4 4 6 8 8 8 11 11 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	L.o	3	10)	PARENT/SIBLING
11	o	2	(11	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
12	o	3	12	p←0 0 1 0 3 4 3 0 7
13	L.o	3	13)	l←0 1 2 1 4 5 4 3 8
14	L.o	2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt n 15
2	Lo	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	Lo	3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	Lo	2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	Lo	1	(7	2 4 4 6 8 8 8 11 11 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	Lo	3	10)	PARENT/SIBLING
11	o	2	(11	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
12	o	3	12	p←0 0 1 0 3 4 3 0 7 8
13	Lo	3	13)	l←0 1 2 1 4 5 4 3 8 9
14	Lo	2	14))	

DFPT	Depth	ADT	APL (c.f. XML/JSON)
0	o 0	(0	adt ← (0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o 1	(1	ids ← εadt n 15
2	Lo 2	2)	d ← 0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o 1	(3	
4	o 2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	Lo 3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	Lo 2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	Lo 1	(7	2 4 4 6 8 8 8 11 11 11 14
8	o 2	(8	5 9 10 12 13
9	o 3	9	
10	Lo 3	10)	PARENT/SIBLING
11	o 2	(11	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
12	o 3	12	p ← 0 0 1 0 3 4 3 0 7 8 8
13	Lo 3	13)	l ← 0 1 2 1 4 5 4 3 8 9 9
14	Lo 2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt n 15
2	Lo	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	Lo	3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	Lo	2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	Lo	1	(7	2 4 4 6 8 8 8 11 11 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	Lo	3	10)	PARENT/SIBLING
11	o	2	(11	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
12	o	3	12	p←0 0 1 0 3 4 3 0 7 8 8 7
13	Lo	3	13)	l←0 1 2 1 4 5 4 3 8 9 9 8
14	Lo	2	14))	

DFPT	Depth	ADT	APL (c.f. XML/JSON)
0	o 0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o 1	(1	ids←εadt n 15
2	Lo 2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o 1	(3	
4	o 2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	Lo 3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	Lo 2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	Lo 1	(7	2 4 4 6 8 8 8 11 11 11 14
8	o 2	(8	5 9 10 12 13
9	o 3	9	
10	Lo 3	10)	PARENT/SIBLING
11	o 2	(11	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
12	o 3	12	p←0 0 1 0 3 4 3 0 7 8 8 7 11
13	Lo 3	13)	l←0 1 2 1 4 5 4 3 8 9 9 8 12
14	Lo 2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt n 15
2	Lo	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	Lo	3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	Lo	2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	Lo	1	(7	2 4 4 6 8 8 8 11 11 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	Lo	3	10)	PARENT/SIBLING
11	o	2	(11	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
12	o	3	12	p←0 0 1 0 3 4 3 0 7 8 8 7 11 11
13	Lo	3	13)	l←0 1 2 1 4 5 4 3 8 9 9 8 12 12
14	Lo	2	14))	

DFPT		Depth	ADT	APL (c.f. XML/JSON)
0	o	0	(0	adt←(0 (1 2) (3 (4 5) 6) (7 (8 9 10) (11 12 13) 14))
1	o	1	(1	ids←εadt n 15
2	L.o	2	2)	d←0 1 2 1 2 3 2 1 2 3 3 2 3 3 2
3	o	1	(3	
4	o	2	(4	PATH MATRIX (c.f. Hsu, ARRAY 2016, extended)
5	L.o	3	5)	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
6	L.o	2	6)	1 1 3 3 3 3 7 7 7 7 7 7 7 7
7	L.o	1	(7	2 4 4 6 8 8 8 11 11 11 14
8	o	2	(8	5 9 10 12 13
9	o	3	9	
10	L.o	3	10)	PARENT/SIBLING
11	o	2	(11	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
12	o	3	12	p←0 0 1 0 3 4 3 0 7 8 8 7 11 11 7
13	L.o	3	13)	l←0 1 2 1 4 5 4 3 8 9 9 8 12 12 11
14	L.o	2	14))	

Adding:

, ←

Adding:

, ←

Deleting:

$(\underline{1}M) (\vdash - 1 + \underline{1}) (\sim M) \neq P$

Adding:

, ←

Deleting:

(1M) (1-1+1) (~M) ≠ P

Updating:

@ [] ←

Adding:

, ←

Deleting:

(1M) (1-1+1) (~M) ≠ P

Updating:

@ [] ←

Traversing:

I@{}*≡

Adding:

, ←

Deleting:

(1M) (1-1+1) (~M) ≠ P

Updating:

@ [] ←

Traversing:

I@{}*≡

Selection:

= ∈ 1 1

Depth of a Tree

$d = \max\{d+1 \leftarrow \omega \neq z \leftarrow \alpha[\omega]\} \equiv \sim p \leftarrow d \leftarrow p \neq \tau \neq p$

A Binding Table

$bv \leftarrow I @ \{ 1 = t[\omega] \} \equiv \sim i @ (p[i \leftarrow \underline{1} = t[p]]) \vee \neq p$

⊞ Lift Functions

$i \leftarrow \underline{1}(t=3) \wedge p \neq \tau \quad s \leftarrow \neq p$

$l \leftarrow i(s+\tau) @ \{\omega \in i\} \quad l \quad \diamond \quad p \quad l(-, I) \leftarrow ci$

$t \quad k, \leftarrow 10 \quad 1p \sim \neq i$

$n, \leftarrow i$

$p[i] \leftarrow i$

$l[j] \leftarrow \sup(\phi i), j \leftarrow \underline{1}(p=\tau \neq p) \wedge l=\tau \neq l$

$l[i] \leftarrow (\neq i) \uparrow (\sup i), i$

⌘ Wrap Return Expressions

$i \leftarrow (t \in 0 \ 2) \vee (t = 1) \wedge k = 0$

$i(\underline{1}) \leftarrow (t[p] \in 3 \ 4) \wedge \sim (r \neq 1) \in^{-1} @ \{ \omega = r \neq \omega \} 1$

$p, \leftarrow p[i] \ \diamond \ p[i] \leftarrow (\neq 1) + r \neq i$

$l \leftarrow i((\neq 1) + r) @ \{ \omega \in i \} 1$

$l, \leftarrow l[i] \ \diamond \ l[i] \leftarrow i$

$t \ k \ n, \leftarrow 2 \ 0 \ 0 \ p \ \ddots \ \neq i$

Bug-zone!

⊔ Wrap Return Expressions

$i \leftarrow (t \in 0 \ 2) \vee (t = 1) \wedge k = 0$

$i(\underline{1}) \leftarrow (t[p] \in 3 \ 4) \wedge \sim (l \neq 1) \in^{-1} @ \{ \omega = l \neq \omega \} 1$

⊔ Wrap Return Expressions

$i \leftarrow (t \in 0 \ 2) \vee (t = 1) \wedge k = 0$

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$\{ x \ \diamond \ y \}$

⊔ Wrap Return Expressions

$i \leftarrow (t \in 0 \ 2) \vee (t = 1) \wedge k = 0$

$i \wedge \leftarrow (t[p] \in 3 \ 4) \wedge \sim (i \neq 1) \in^{-1} @ \{ \omega = i \neq \omega \} 1$

$i(\underline{i} \vee) \leftarrow (t \in 0 \ 2) \wedge t[p] = 3$

$\{x \ \diamond \ y\}$

What's the Takeaway?

Dear CS PL Community:

We've had a good run for 50+ years,
it's time to admit defeat and use
APL.

Yours truly,
arcfide

Dear APL Community:

Your time is come again,
trees are now your oyster.
Don't gloat too much.

Yours truly,
arcfide

Thank You.